INFO216: Advanced Modelling

Theme, spring 2017:

Modelling and Programming
the Web of Data

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Session S13: OWL DL

- Themes:
 - description logic
 - decision problems
 - OWL DL
 - Manchester OWL-syntax
- Practical stuff:
 - perhaps Jena's OntModel class
 - we skip Protege-OWL 3 programming



Readings

- Forum links (cursory):
 - http://www.w3.org/TR/owl2-primer/
 - show: Turtle and Manchester syntax
 - hide: other syntaxes
 - Description Logic Handbook:
 - Chapter 1: Nardi & Brachman: Introduction to Description Logics
 - Chapter 2: Baader & Nutt: Formal Description Logics (gets hard)



Description Logic (DL)



Description logics (perhaps from INFO100?)

- Description Logic (DL)
 - a simple *fragment* of predicate logic
 - ...or, rather, a family of such fragments
 - not very expressive ("uttrykkskraftig")
 - but (can have) good decision problems, i.e.,
 - it answers *decision problems* (rather) quickly
- Suitable for describing concepts ("begreper")
 - formal basis for OWL DL
 - can be used to:
 - describe concepts and their roles ("Tbox")
 - describe individuals and their roles ("ABox")



Relationship to other logics

Proposition logics are about statements (propositions):

```
"Martha is a Woman" ←
    "Martha is Human" ∧ "Martha is Female"
```

(First order) predicate logics are about predicates and objects:

```
- ∀x. (Woman(x) \Leftrightarrow Human(x) \land Female(x))
```

- Description logics are about concepts:

 - and also roles and individuals
- There are many other logic systems:
 - modal logics: necessarily □, possibly ◊
 - temporal logics: always □, sometimes ◊, next time ○



Definition of concepts ("begreper")

```
Woman ≐ Human ⊓ Female
 Man ≐ Human □ ¬Woman

    Parent = Mother | Father

     - concepts: Male, Human, Father, Mother...
     - definition: ≐
     - conjuction (and): □
     - disjunction (or): ⊔
     - negation (not): ¬
     - nested expressions: ( )
• Childless = ??
```



Definition of concepts ("begreper")

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```



Atomic and defined concepts and roles

- Atomic concepts are given
 - corresponds to OWL-NamedClasses that are not composed from other classes
- Defined concepts
 - corresponds to OWL-NamedClasses that are composed from other classes
 - defined by concept expressions
- Similar distinction between atomic and defined roles



```
Mother 

ightharpoonup Female 

☐ ThasChild. ☐
• Bachelor ≐ Male □ ¬∃hasSpouse.⊤
- roles: hasChild, hasSibling...
     - universal concept ("top"): T
     - existential restriction: 3
• Grandparent = ??
 Grandparent \doteq ... ((w/o Mother & Father))...
• Uncle = ...((without Parent))..
```



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Mother ≐ Female □ ∃hasChild. □
• Bachelor ≐ Male □ ¬∃hasSpouse.⊤
- roles: hasChild, hasSibling...
    - universal concept ("top"): T
    - existential restriction: 3

    Grandparent = Human □ HasChild.Parent

 Grandparent ≐ Human □
                    HasChild. HasChild. ⊤
• Uncle = ...((without Parent))..
```



```
Mother ≐ Female □ ∃hasChild. □
• Bachelor ≐ Male □ ¬∃hasSpouse.⊤
- roles: hasChild, hasSibling...
    - universal concept ("top"): T
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• Grandparent = Human □ EhasChild.Parent
 Grandparent = Human
                 HasChild. HasChild. ⊤
```



Null concept

- Male □ Female □ ⊥

 null concept ("bottom"): ⊥
 subsumption (sub concept): □
 equivalence: ≡

 ≐ is used for definitions (or just ≡)
 ≡ are used for equivalence axioms
 ⊑ are used for specialisation axioms
 This was our first axiom!
 - so far we have just defined concepts
 - we have not used them in axioms
- Note the use of . . . □ ⊥ ("subsumption of bottom")
 - to say that something is not the case



More about roles

```
• HappyFather = Father □
                     WhasChild.HappyPerson
     - universal value restriction: Y

    MotherOfOne = Mother □ (=1 hasChild. □)

- number restrictions: =, ≥, ≤

    Narsissist = ThasLoveFor.Self

     - self references: Self
• MassMurderer = ??
• SelfHater \(\delta\)??
```



More about roles

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More about roles

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    - self references: Self

    MassMurderer = (≥4 hasKilled).Human

    SelfHater = ThaterOf.Self
```



Inverse and transitive roles

- Child \doteq Human \sqcap EhasChild. \top
- hasParent = hasChild
- hasSibling = hasSibling
- BlueBlood = \(\mathbf{Y}\)hasParent*.BlueBlood
 - -inverse role: hasChild-
 - symmetric role: hasSibling-
 - -transitive role: hasParent*
- **Niece** = ??



Inverse and transitive roles

- hasParent = hasChild
- hasSibling = hasSibling
- BlueBlood = \(\forall \) hasParent*. BlueBlood
 - -inverse role: hasChild-
 - symmetric role: hasSibling-
 - -transitive role: hasParent*
- We are starting to define roles
 - so far, we have only defined concepts



Composite roles

- Similar to composite concepts, e.g.:
 - hasUncle = hasParent o hasBrother
 - hasLovedChild

 hasChild

 hasLoveFor
 - hasBrother = (hasSibling | Male)
- Mostly not supported by reasoning engines
 - they have "bad decision problems"
 - meaning that they compute slowly or intractably
 - ...with some exceptions
- hasDaughter \doteq ??
- halfSibling = ??



Composite roles

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 - hasLovedChild ≐ hasChild □ hasLoveFor
 - hasBrother = (hasSibling | Male)
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 - meaning that they compute slowly or intractably
 - ...with some exceptions
- hasDaughter = (hasChild | Female)
- halfSibling \(\delta\)??



TBox

- Terminology box (TBox):
 - a collection of axioms about concepts and properties
 - axioms are definitions, equivalences or subsumptions
 - definitions (≐): atomic concept on the left hand side (l.h.s.)
 - equivalence (≡): concept expressions on both sides
 - subsumption (□): concept expressions on both sides
- Acyclic TBoxes:
 - contains only definitions
 - every defined concept (or role) can be expanded into an expression of only atomic concepts (or roles)
- Expanded concepts (or roles)
 - defined only in terms of atomic concepts (and roles)



Statements about individuals

- So far we have defined concepts and roles (TBox)
- We have two types of axioms about individuals (ABox):
 - class assertion (using a concept):

```
Märtha : Female □ Royal
```

- role assertion (using a role):

```
<Märtha, EmmaTallulah> : hasChild
```

<Märtha, HaakonMagnus> : hasBrother

- Axioms about concepts/roles and assertions about individuals/roles are used to create knowledge bases:
 - concepts, roles in the TBox ("the tags")
 - individuals, roles in the ABox ("the tagged data")



Syntaxes differ a bit...

- So far we have defined concepts and roles (TBox)
- We have two types of axioms about individuals (ABox):
 - class assertion (using a concept):
 Female (Märtha), (Female □ Royal) (Märtha)
 - role assertion (using a role):
 hasChild(Märtha, EmmaTallulah)
 hasBrother(Märtha, HaakonMagnus)
- Axioms about concepts/roles and assertions about individuals/roles are used to create knowledge bases:
 - concepts, roles in the TBox ("the tags")
 - individuals, roles in the ABox ("the tagged data")



Types of axioms

Terminology axioms (in the TBox):

– subsumptions:

 $C \sqsubseteq D$

C and D are classes, A is an atomic class!

– equivalences:

 $C \equiv D$

corresponds to: $C \subseteq D$, $D \subseteq C$

– definitions:

 $A \doteq C$

Individual assertions (in the ABox):

– class assertions:

a:C

a and b are individuals. R is a role!

- role assertions: <a,b>:R

• A knowledge base $\mathcal{K} = (\mathcal{T}, \mathcal{A})$ consists of

- TBox: \mathcal{T} and

ABox: A



Decision Problems



Reasoning over knowledge bases

- What more can we do with ontologies?
- For example:
 - a security ontology that describes an organisation and its computer systems as concepts, roles and individuals
 - can answer competency questions, e.g.:
 - are all the security levels subclasses of one another?
 - what is the highest security level of a temporary?
 - what is the necessary security level of a component?
 - which employees have access to critical data?
 - for which security roles is an employee qualified?
 - which individuals are suspicious persons?
 - DL offers a clear and compact way or representing and reasoning about questions such as these!



Decision problems

- A computational problem with a yes/no answer, e.g.
 - is C subsumed by D (\mathcal{K} ⊨ $\mathbf{C} \sqsubseteq \mathbf{D}$)?
 - are C and D consistent ($\mathcal{K} \models \mathbf{C} \sqcap \mathbf{D}$)?
 - does a belong to $C(\mathcal{K} \models a:C)$?
 - is a R-related to $b (\mathcal{K} \models \langle a, b \rangle : R)$?

C and D are classes, a and b are individuals.
R is a role!

- Decidability ("bestembarhet"):
 - we can always calculate the yes/no answer in finite time
- Semi-decidability ("semibestembarhet"):
 - we can always calculate a yes-answer in finite time,
 ...but not always a no-answer
- Undecidability ("ubestembarhet"):
 - we cannot always calculate the answer in finite time



Decision problems for concepts

- There are four basic decision problems for concepts:
 - consistency: whether there is an individual a so that

```
\mathcal{T} \vDash \mathbf{a} : \mathbf{C},
\mathcal{T} \nvDash \mathbf{C} \sqsubseteq \mathbf{I}

- subsumption: \mathcal{T} \vDash \mathbf{C} \sqsubseteq \mathbf{D},
\mathcal{T} \vDash \mathbf{C} \sqcap \neg \mathbf{D} \sqsubseteq \mathbf{I}

- equivalence: \mathcal{T} \vDash \mathbf{C} \equiv \mathbf{D} \text{ or } \mathbf{C} \equiv_{\mathcal{T}} \mathbf{D},
\mathcal{T} \vDash \mathbf{C} \sqsubseteq \mathbf{D}, \ \mathbf{D} \sqsubseteq \mathbf{C}

- disjunction: \mathcal{T} \vDash \mathbf{C} \sqcap \mathbf{D} \sqsubseteq \mathbf{I}
```

- All four can be reduced to subsumption or consistency!
- T can be emptied, by expanding all its concepts



Decision problems for individuals

Decision problems for individuals and roles:

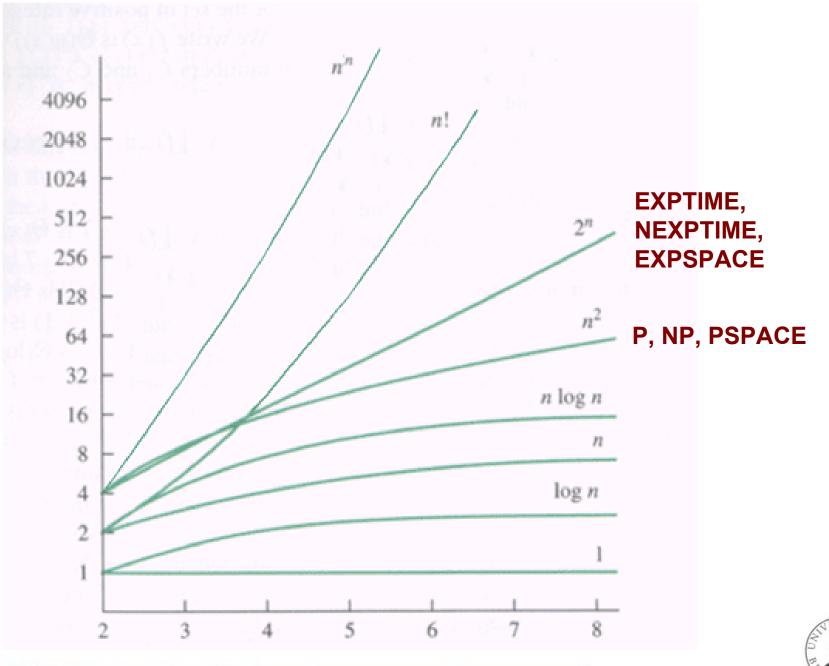
- classifications (not yes/no):
 to which classes does a belong?
 all individuals of class C?
- All boil down to consistency checking for ABoxes
 - ...under certain (rather weak) conditions



Complexity

- Decidability is often necessary
 - but not enough
 - we also want a decision "in reasonable time"
 - different DL-variants have different complexity
 - many different complexity classes
 - polynomial (P), exponential (EXP)...
 - ...in time and space
- Tractable (or feasible) complexity
 - acceptable complexity for large knowledge bases
 - typically polynomial complexity (P)
 - complexity grows $O(n^c)$ of problem size n





DL-complexity

- We have presented many DL-notations
 - do not use all at the same time!
 - that gives high complexity
 - which is why we have different OWL Profiles
- Complexity calculator on the net:
 - Complexity of reasoning in Description Logics http://www.cs.man.ac.uk/~ezolin/dl/



OWL DL



Relation to OWL

- OWL DL and description logic are closely matched
 - everything in OWL DL has a DL-counterpart
 - most everything in DL can be expressed in OWL DL
- DL is a family of logic systems:
 - some of them correspond to particular OWL profiles
 - OWL1 DL: S 升 O I 火(力)
 - OWL2 DL: SROIQ(D)



OWL profiles revisited

- OWL "1" (2002):
 - OWL Full "anything goes"
 - OWL DL fragment of OWL Full,
 - formal semantics through description logic
 - OWL Lite simple fragment of OWL DL, not much used
- OWL 2 (2008):
 - OWL2 Full "anything goes"
 - OWL2 DL fragment of OWL2 full, extension of OWL DL
 - OWL2 DL has three further fragments:
 - OWL2 EL quick reasoning, fragment of OWL2 DL
 - OWL2 RL rule language, fragment of OWL2 DL
 - OWL2 QL query language, fragment of OWL2 DL



And there is more...

- A few other constructions
- Formal definitions of
 - syntax (rules for valid expressions, reasoning)
 - semantics (rules for interpreting expressions)
- Tools and techniques
- Lots of applications



Protege-OWL



Protege-OWL

- Extension of Protegé
 - ordinary Protegé supports frames
 - Protegé-OWL
 - reuses much of the Protege-Frames GUI



Protege-OWL 3.x

- Supports OWL 1.1:
 - uses *Jena* internally
 - wraps Jena's API with a Protege-OWL API
 - stays with Jena's graph metaphor
 - you "create the ontology as a graph"
 - many plug-ins:
 - SWRL, Jess, reasoning...
 - still actively developed



Protege-OWL 4.x, 5 beta

- Supports OWL 2:
 - complete reimplementation of internals
 - not based on Jena
 - offers a dedicated OWL API (in Java)
 - description-logic metaphor
 - your "build the ontology from axioms"
 - more and more plug-ins
 - still actively developed



Manchester OWL syntax



Manchester OWL-syntax

- A simple DL notation without special symbols
 - used by Protege-OWL to construct classes
 - similar to DL syntax
- Class: Woman
 - EquivalentTo: Human and Female
- Class: Man
 - EquivalentTo: Human and not Female
- Class: Parent
 - EquivalentTo: Mother or Father
- Can be used to serialise complete ontologies
 - ...we will look mostly at Tbox expressions
- http://www.w3.org/TR/owl2-manchester-syntax/



Comparison

```
DL:

    Machester OWL:

   Class: Man
        EquivalentTo: Human and not Female
TURTLE:
   family:Man owl:equivalentClass
        owl:intersectionOf (
             family:Human
                a owl:Class;
                owl:complementOf family:Woman
```



Roles in Manchester OWL syntax

```
Class: Mother
       EquivalentTo:
       Female and hasChild some owl: Thing

    Class: Bachelor

       EquivalentTo:
       Male and not has Spouse some owl: Thing
Class: Uncle
       EquivalentTo:
       Male and hasSibling some Parent
     - universal concept (top): owl:Thing
     -existential restriction: some
```



Null concept in Manchester OWL syntax



More roles in Manchester OWL syntax

```
Class: HappyFather
        EquivalentTo:
        Father and hasChild only Happy
     - value restriction: only
Class: MotherOfOne
        EquivalentTo: Mother and
                        hasChild exactly 1
• Class: Bigamist
        EquivalentTo: hasSpouse min 2
     - number restriction: exactly, min, max

    Class: Narcissist

        EquivalentTo: loves some Self
```



Inverse, symmetric and transitive roles

```
Class: Child
     EquivalentTo:
     Human and inverse hasChild some owl: Thing

    Class: hasParent

     EquivalentTo: inverse hasChild

    ObjectProperty: hasSibling

     Characteristic: Symmetric

    ObjectProperty: hasAncestor

     Characteristic: Transitive
• inverse role: inverse
     - symmetric role:
         Characteristic: SymmetricProperty
     - transitive role:
```

Characteristic: TransitiveProperty

